

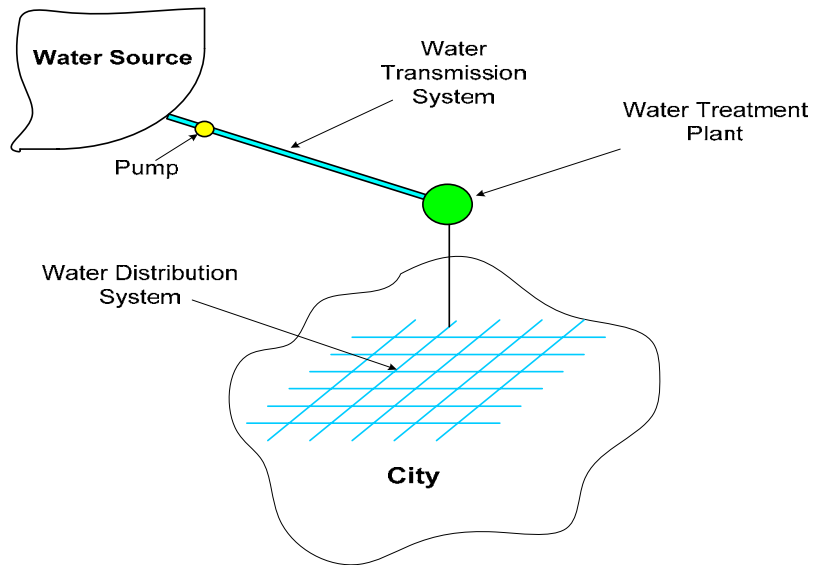
Water Demand and Supply

CE 370 - Lecture 2

Components of a water supply system

- The components of a water supply system may include:
 - The water source (Dam, Well, River, etc...)
 - Transmission system
 - Treatment plant
 - Distribution network

Components of Water Supply System



The design capacities of a water supply system

- The design capacities are governed by:
 - Design period
 - The number of years for which the system is to be adequate
 - Design population
 - The number of persons to be served
 - Design flows
 - The rates of consumption

Design Period

- The choice design periods is governed by:
 - useful life based on wear and tear
 - expected population growth and developments
 - feasibility for addition or expansion
 - Financial constraints and interest rates
- The design periods usually adopted are as follows:
 - dams: 25 - 100 years
 - wells: 5 years
 - transmission pipes: 25 years
 - treatment plants: 10-15 years
 - pumps: 10 years
 - distribution system: 35-45 years

Design Population

- Before a water treatment plant can be designed, it is necessary to determine the design population (present and future population).
- The Census Bureau is the main source of past population figures. It publishes its figures every 10 years (decennial count).
- To find the present population, engineers depend on the ratios of the last census population to the number of :
 - School enrolment
 - Utility connections
 - Telephone connections

Example (1)

The last census population of a city was 67250 in the year 2000. What is the present population in the year 2007 given the following statistics:

	2000	2007
Utility connections (U)	19214	23057
School enrolment (S)	12933	15778
Telephone connections (T)	17698	21415

Solution (1)

➤ Determine the utility connections, school enrolment, and telephone connections ratios for the year 2000:

- $U = 67250/19214 = 3.5 : 1$

- $S = 67250/12933 = 5.2 : 1$

- $T = 67250/17698 = 3.8 : 1$

➤ Determine population for 2007 from above ratios:

- Population from U = $3.5 \times 23057 = 80700$

- Population from U = $5.2 \times 15778 = 82045$

- Population from U = $3.8 \times 21415 = 81377$

- Population 2007 = $1/3 (80700 + 82045 + 81377) = 81374$

Design Population

- The population expected at the end of the chosen design period is influenced by:
 - births
 - deaths
 - migration
- Methods of Estimating Future Population:
 - Arithmetic Progression Method
 - Geometric Progression method
 - Decreasing Rate of Increase Method
 - Graphical Comparison Method
 - Logistic Method
 - Ratio Method
 - ... and many other methods

Arithmetic method

- This method assumes that the rate of growth will be constant

$$\frac{dP}{dt} = K$$

P = Population

t = time

K = arithmetic growth constant

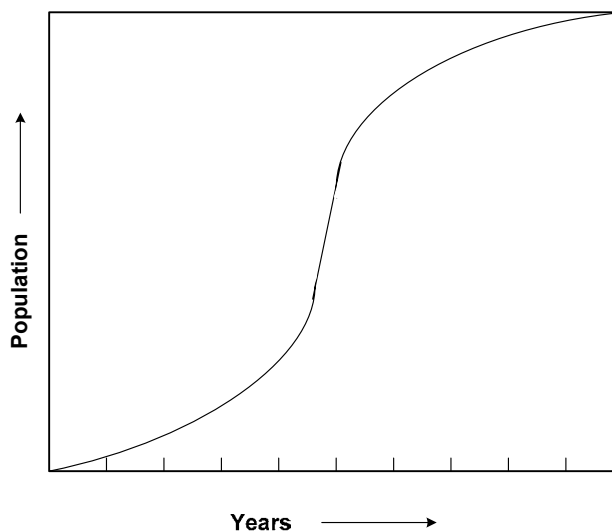
$$K = \frac{(P_2 - P_1)}{(t_2 - t_1)}$$

$$P = P_o + K\Delta t$$

Logistic Method

- This method assumes that the growth, as a function of time, follows some logical mathematical relationship. The population tends to grow according to logistic or S-shaped curve, starting with a low rate, followed by a high rate and the progressively low rate to a saturation population. This saturation population is the final limit to growth which is limited by economic opportunities and other conditions.

Plot of logistic method



Continue

- The equation for the logistic model is:

$$P = \frac{P_{sat}}{1 + e^{(a + b \Delta t)}}$$

P = population for future year

P_{sat} = saturation population

a, b = data constants

Δt = future time period, years

- Three successive years, represented by $t_0, t_1,$ and t_2 are chosen that are equidistance from each other
- The number of years from t_0 to t_1 is denoted by n .
- The population figures corresponding to $t_0, t_1,$ and t_2 are P_0, P_1 and P_2 through which the logistic curve is to pass.

Continue

Year	City A Population
1900	10400
1910	12080
1920	17113
1930	28256
1940	38968
1950	51230
1960	57770
1970	70507
1980	84628
1990	101750
2000	185626

$n = 40$ { $t_0 \rightarrow$ ← P_0

$n = 40$ { $t_1 \rightarrow$ ← P_1

$t_2 \rightarrow$ ← P_2

Continue

- The constants are obtained by the following equations:

$$P_{sat} = \frac{2P_o P_1 P_2 - P_1^2 (P_o + P_2)}{P_o P_1 - P_1^2}$$

$$a = \ln \frac{P_{sat} - P_o}{P_o}$$

$$b = \frac{1}{n} \ln \frac{P_o (P_{sat} - P_1)}{P_1 (P_{sat} - P_o)}$$

Constant percentage method

- This method assumes that the rate of growth is proportional to the population (first order):

$$\frac{dP}{dt} = KP$$

$$\ln P = \ln P_o + K\Delta t$$

P = Population

t = time

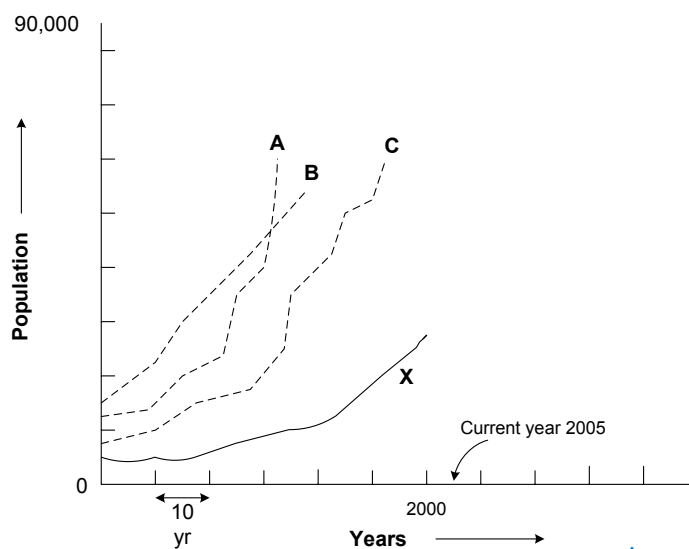
K = rate constant

$$K = \frac{\ln P - \ln P_o}{\Delta t}$$

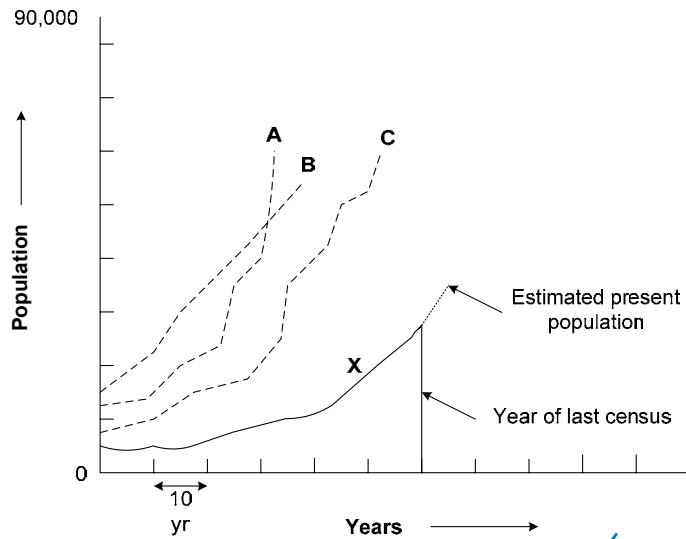
Curvilinear method

- This method is based on a graphical projection of the past population of similar but larger cities.
- The cities selected for comparison should be similar in as many characteristics as possible (economics, geographical, etc...).
- This is the most commonly used method for population projection.

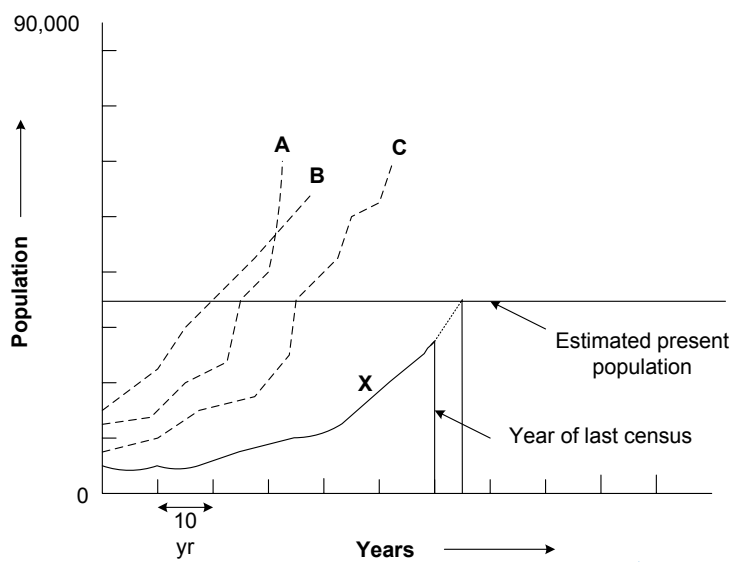
Curvilinear method



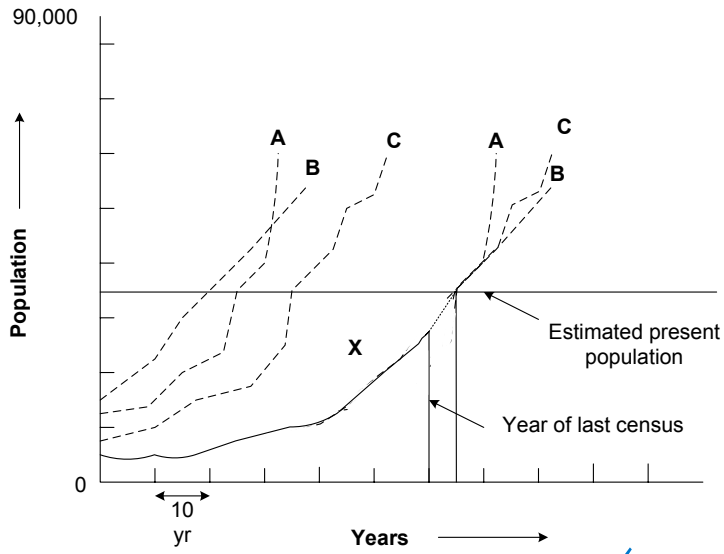
Curvilinear method



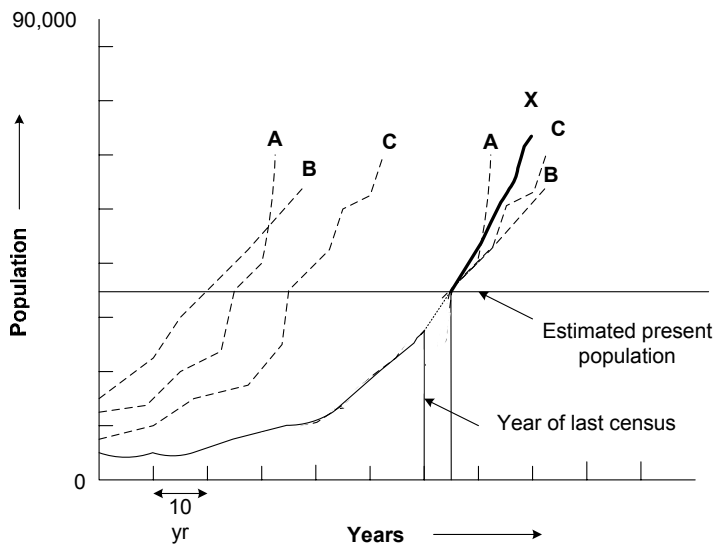
Curvilinear method



Curvilinear method



Curvilinear method



Water Usage

➤ Available water to a city can be classified based on its ultimate use. Water is used for:

- **Domestic:**

- Includes houses, apartments, and other dwellings.
- It ranges from 60-265 l/cap-day.
- About 33% of the average city consumption.

- **Commercial:**

- Businesses, laundries, hospitals, etc....
- About 20% of total use.

Water Usage continue

- **Industrial:**

- Includes paper mills, chemical plants, textile, food processing, etc.....
- Industries may develop their own water supply.
- Water quantities depend on type of industry.

- **Public:**

- Public buildings (courts, police, jails, schools, etc...)
- About 20-75 l/cap-day.

- **Leakage and wastage:**

- Due to meter problems, leakage from pipes, unauthorized connections.
- About 40-150 l/cap-day.

Variations In Water Consumption Rates

>Seasonal Variations

In summer, daily water consumption rate may reach 120 to 160% of average daily consumption rate throughout the year. In winter, daily water consumption may reach only 70% of average daily use throughout the year.

>Daily Variations

Water consumption varies from one day to another. Daily variation could reach maximum of 130 to 170% of average daily consumption during the year or may reach a minimum value of 60% of average daily water consumption during the same year.

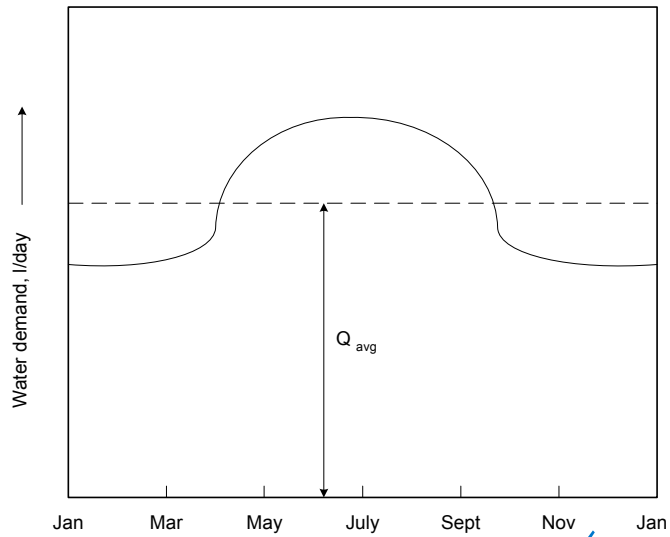
>Hourly Variations

Maximum rate may reach up to 150% of average daily rate, of the same day, at the peak, or may reach 225% of average daily consumption during one year.

Factors influencing water use

- Size of city (small vs large)
- Climate and location (warm vs cool)
- Industrial development
- Habits and living standards
- Parks and gardens
- Water quality
- Water pressure
- Cost of water
- Administration of water supply system

Seasonal Variations



Hourly Variations

